Sullivan Section 1.3

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Other Types of Sampling

In addition to simple random sampling, there are other types of sampling that may be used:

- stratified sampling
- systematic sampling
- cluster sampling

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- In many cases, individuals in a population may be classified into subpopulations that are more homogenous than the population as a whole.
- A technique called **stratified sampling** can be used to exploit this situation.
- A stratified sample is obtained in two steps:
 - divide the population into **strata** (nonoverlapping subgroups)
 - obtain a simple random sample from each of the strata

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Usually the strata are chosen so that each of them will be more homogenous than the population as a whole.

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Sometimes additional information about the homogeneity of individual strata may be used to determine a more efficient way of dividing the total sample among the strata.

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An advantage of this technique is that we do not have to have a frame, or list of the entire population, to use it.

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If we have a frame, we know the size N of the population, and if the sample size we want is n, we choose:

$$k = \frac{N}{n}$$

Example:

In a town with an adult population of 13,000, the town council wishes to evaluate the need for a library addition by a questionaire.

A consulting statistician has determined that a sample of size 300 will be adequate.

If systematic sampling is used, what is an appropriate value for *k*?

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Since we have a frame, we know that the population size N is 13,000 and the desired sample size is 300. In this case,

$$\frac{N}{n} = \frac{13000}{300} = 43.33$$

The largest value of k that produces a sample of at least 300 is 43, so they should sample every 43^{rd} adult citizen.

If no frame is available, some other information must be used to determine k.

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If the sample is conducted on a particular day, for example, a store owner might have a good idea how many customers to expect that day.

In this case, N would be taken to be the expected number of customers for the entire day, and k would be computed as N/n.

Example:

The turnpike authority wishes to measure the occupancy of vehicles passing through a certain toll plaza during the morning rush hour.

It is estimated that sample of size 180 will be adequate.

Based on cash receipts, it is expected that 9,200 cars will pass through the toll plaza during a typical morning rush hour.

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In this case, we have no frame, but we expect 9,200 cars, so

$$\frac{N}{n} = \frac{9200}{180} = 51.11$$

The largest value of k that produces a sample of at least 180 is 51, so they should sample every 51^{st} car.

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This technique is useful when it is easier to sample all members of the chosen group than it is to select a small number of individuals from many groups.

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Three decisions need to be made when setting up a cluster sample:

- how is the population divided into clusters?
- how many clusters should be sampled?
- how many individuals in each cluster should be sampled?

In general, if the individuals in each cluster tend to be very similar, it is more efficient to sample many clusters and only a few individuals from each cluster.

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If the clusters are not very homogeneous, it is more efficient to take fewer clusters and more individuals from each cluster.

Convenience Sampling

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An example of a convenience sample would be respondents to an opinion question presented on a news show. This is called a **self-selected** sample because each viewer determines whether or not they will be in the sample.

For this reason, results of this type of sample may be highly biased.